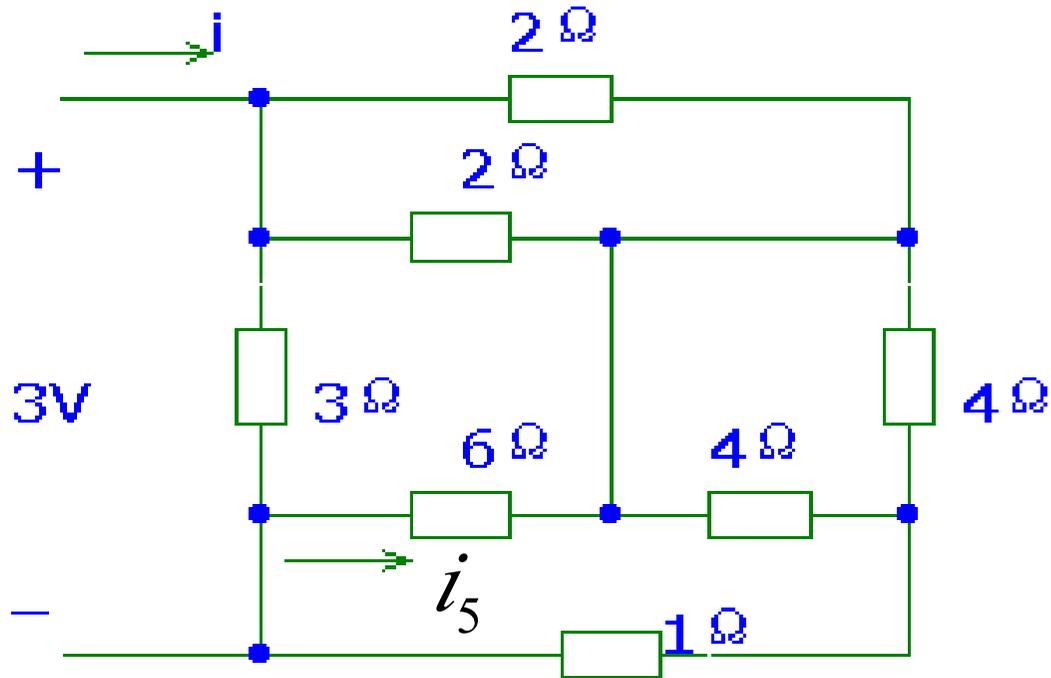
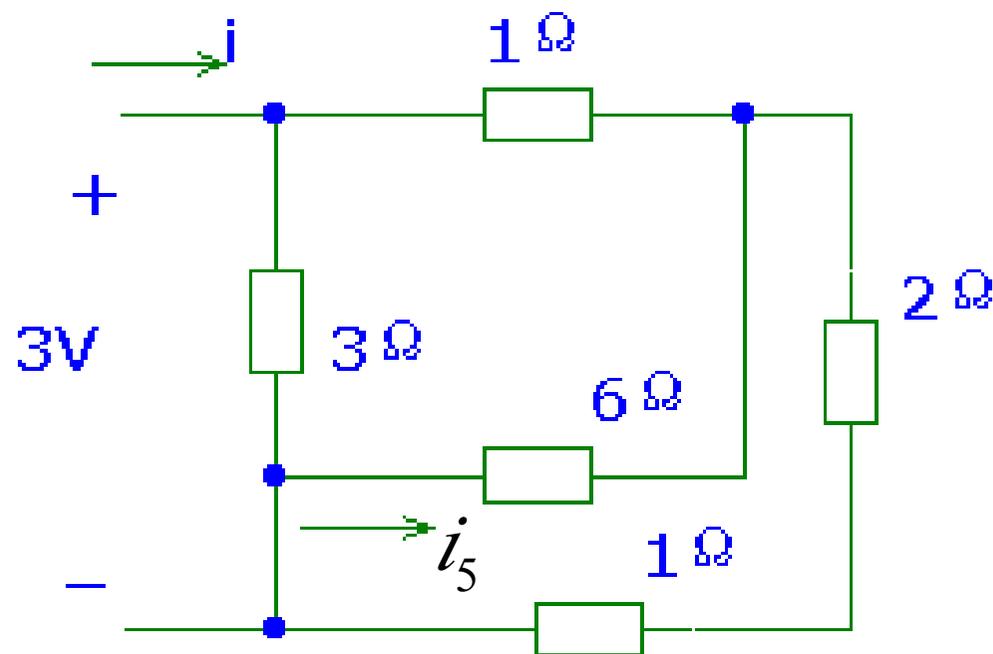
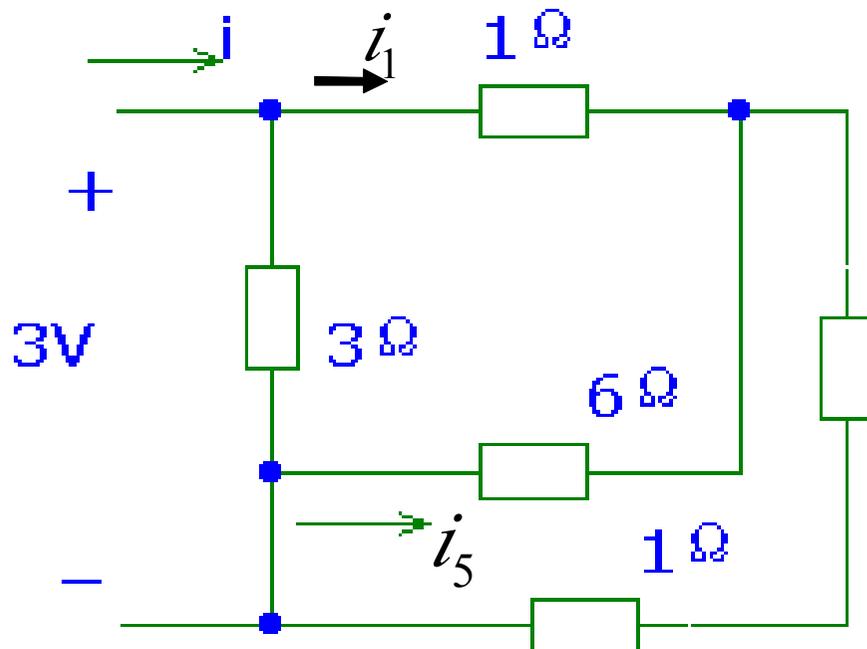


例



求电流 i 和 i_5



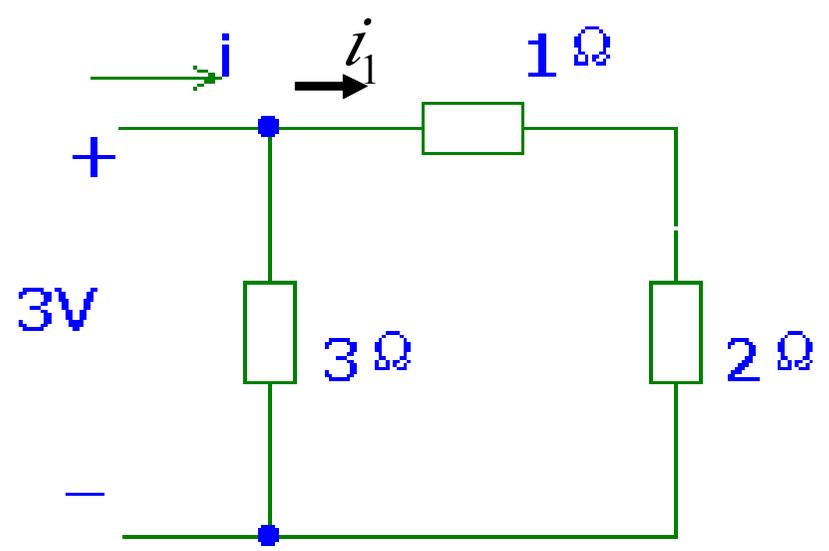
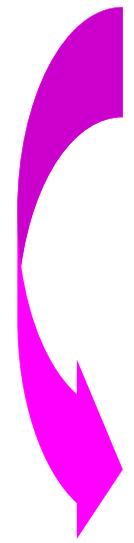


等效电阻
 $R = 1.5\Omega$

$i = 2A$

$i_1 = 1A$

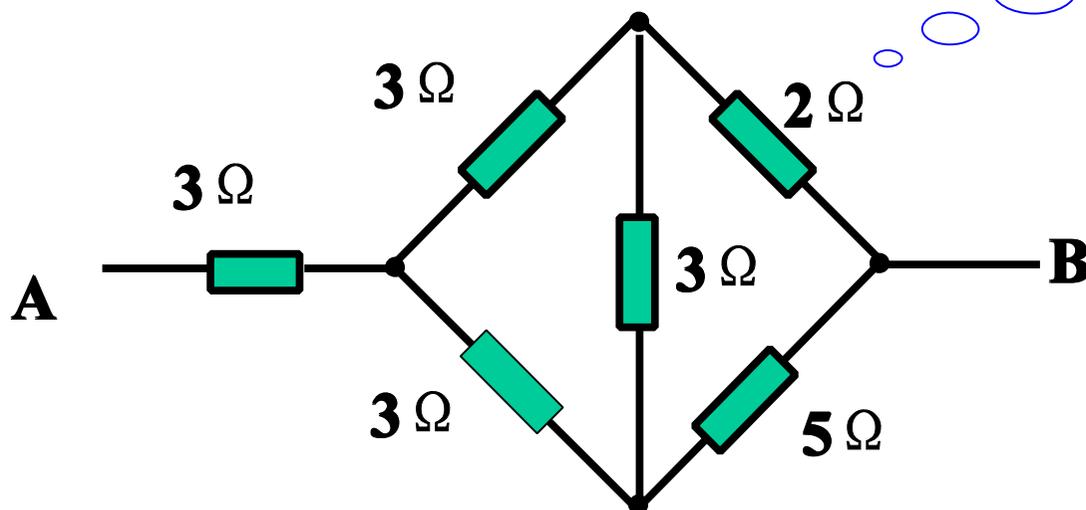
~~$i_5 = -\frac{2+1}{6+2+1} \times 1$~~
 $= -\frac{1}{3}A$



电阻的Y形联接与 Δ 形联接 的等效变换

一、问题的引入

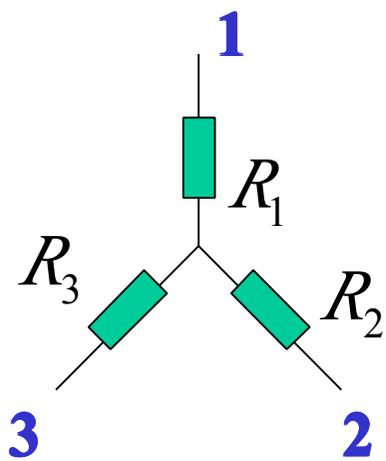
求等效电阻



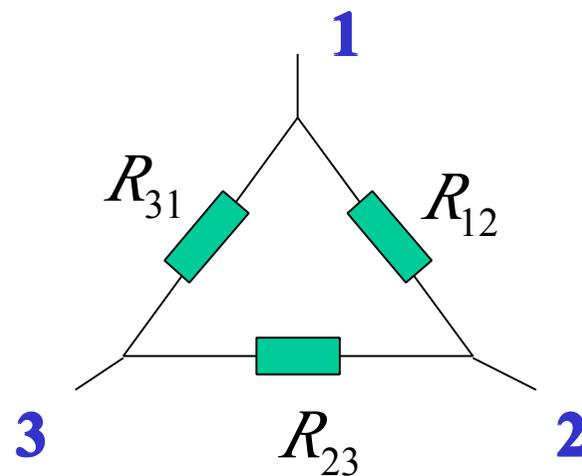
$$R_{AB} = ?$$

二、星形联接和三角形联接的等效变换的条件

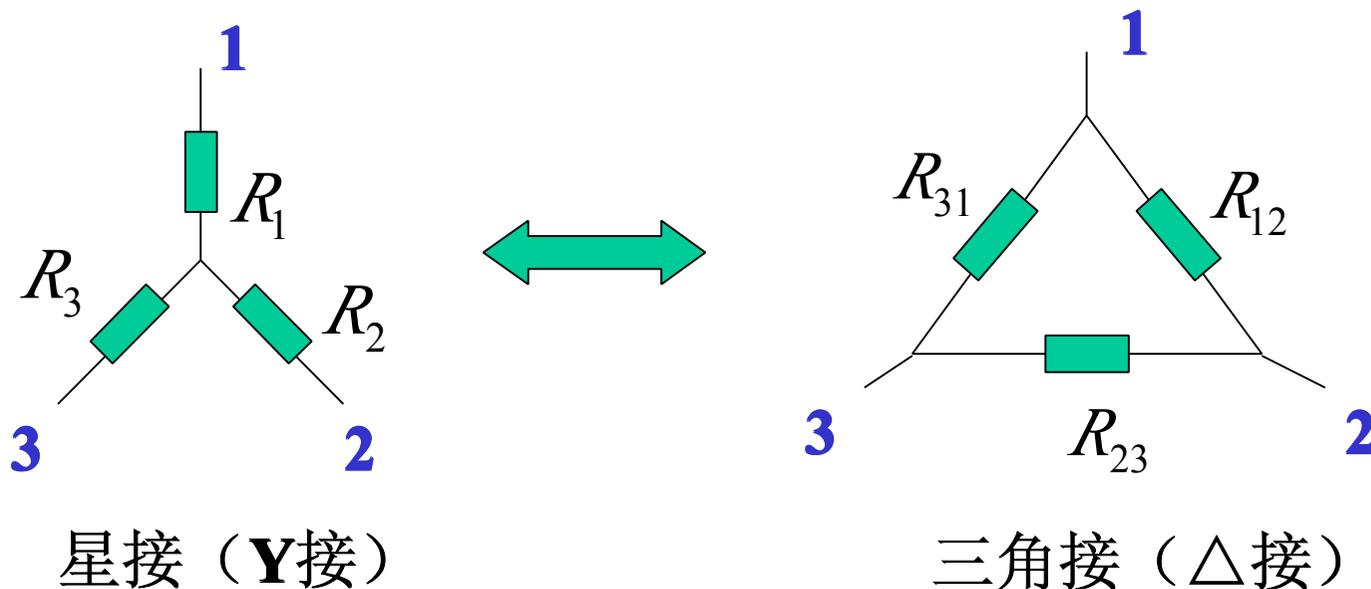
要求它们的外部性能相同，
即当它们对应端子间的电压相同时，
流入对应端子的电流也必须分别相等。



星接 (Y接)

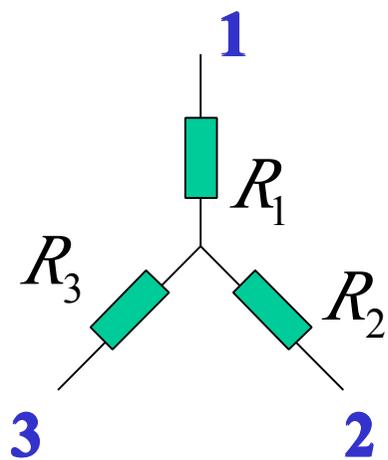


三角接 (Δ接)

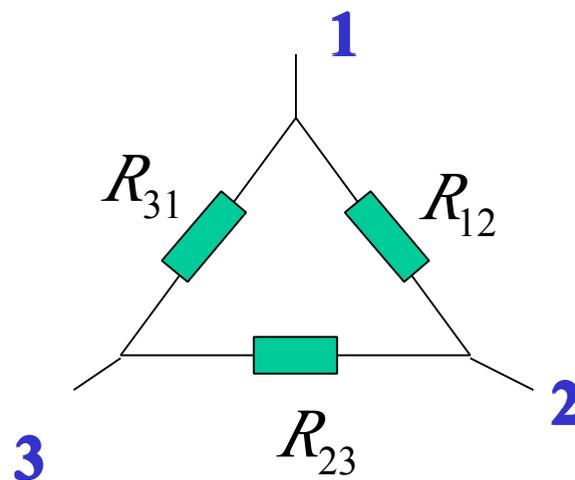


Y → **Δ** $R_{12} = R_1 + R_2 + \frac{R_1 R_2}{R_3}$

$R_{23} = R_2 + R_3 + \frac{R_2 R_3}{R_1}$ $R_{31} = R_1 + R_3 + \frac{R_3 R_1}{R_2}$



星接



三角接

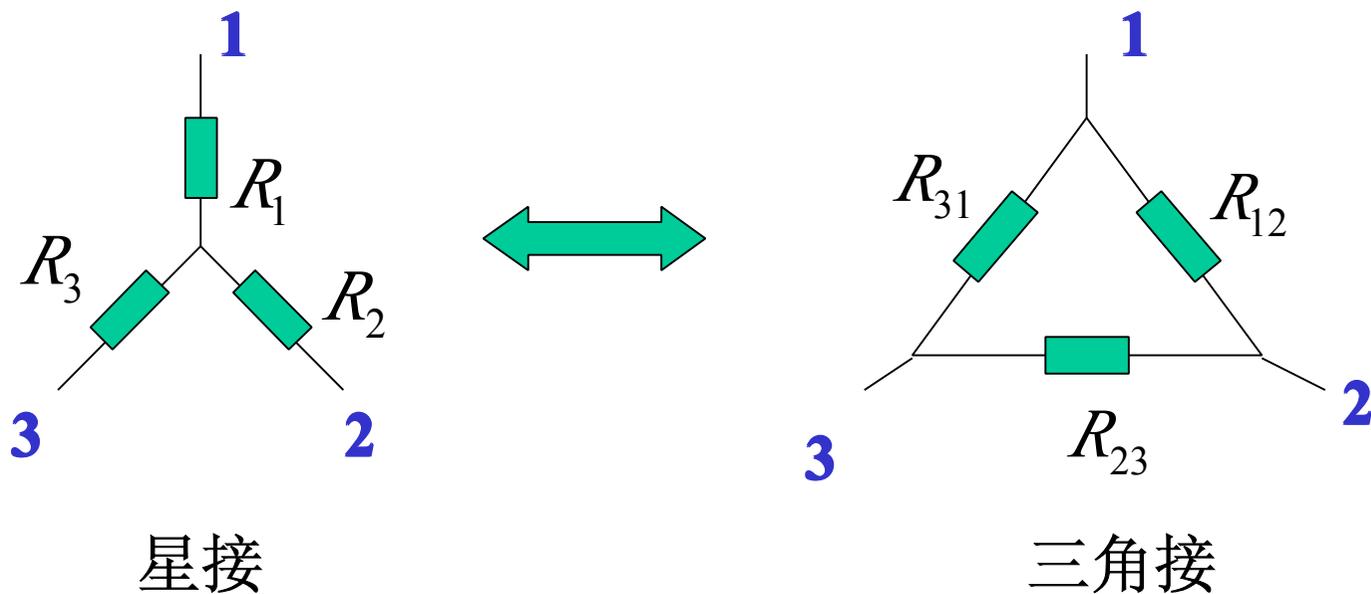
$$\triangle \rightarrow \mathbf{Y} \quad R_1 = \frac{R_{31}R_{12}}{R_{12} + R_{23} + R_{31}}$$

$$R_2 = \frac{R_{12}R_{23}}{R_{12} + R_{23} + R_{31}}$$

$$R_3 = \frac{R_{23}R_{31}}{R_{12} + R_{23} + R_{31}}$$

$$\text{Y形电阻} = \frac{\Delta\text{形相邻电阻的乘积}}{\Delta\text{形电阻之和}}$$

$$\Delta\text{形电阻} = \frac{\text{Y形电阻两两乘积之和}}{\text{Y形不相邻电阻}}$$



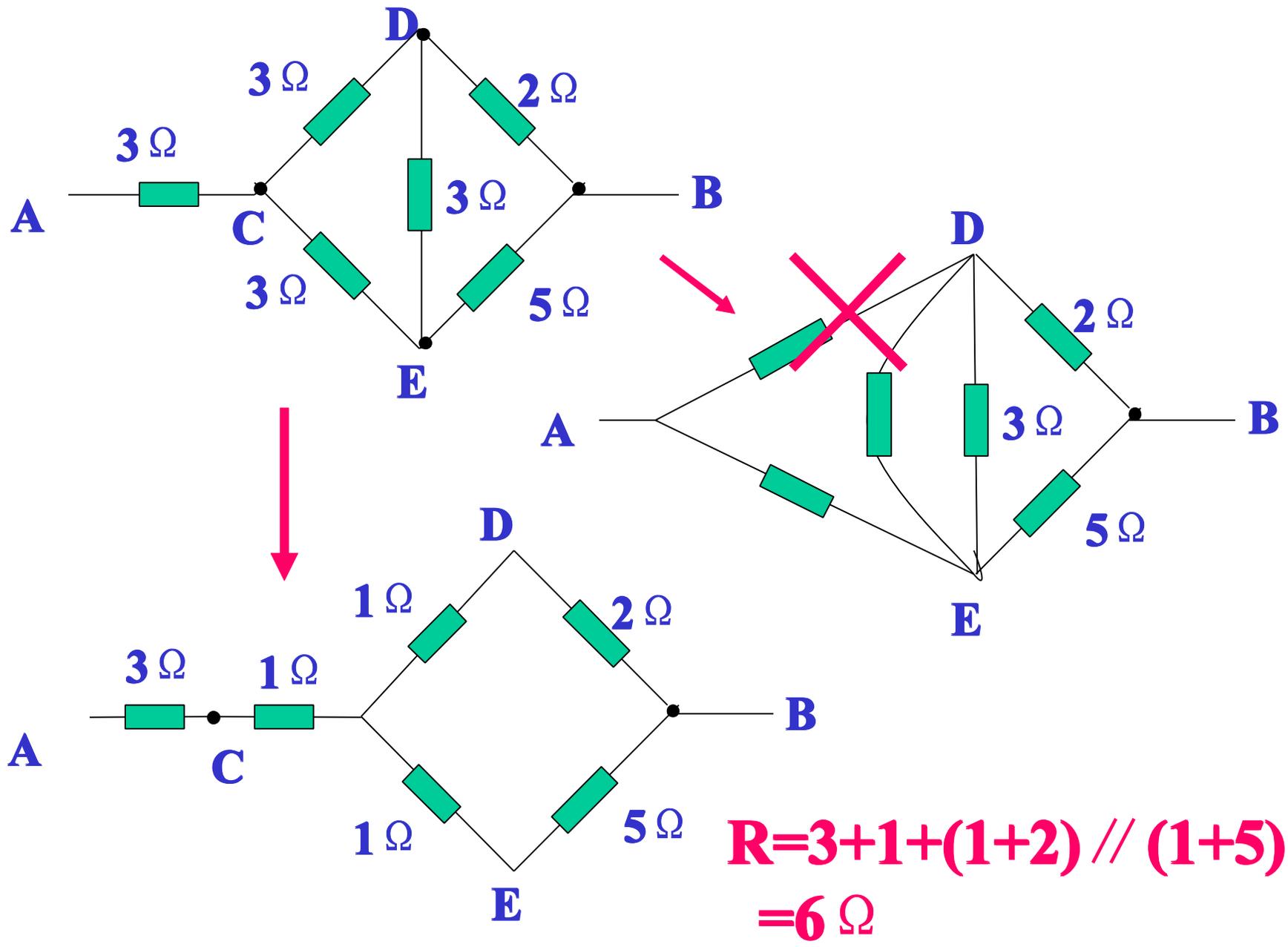
特别若星形电路的**3**个电阻相等

$$R_1 = R_2 = R_3 = R_Y$$

则等效的三角形电路的电阻也相等

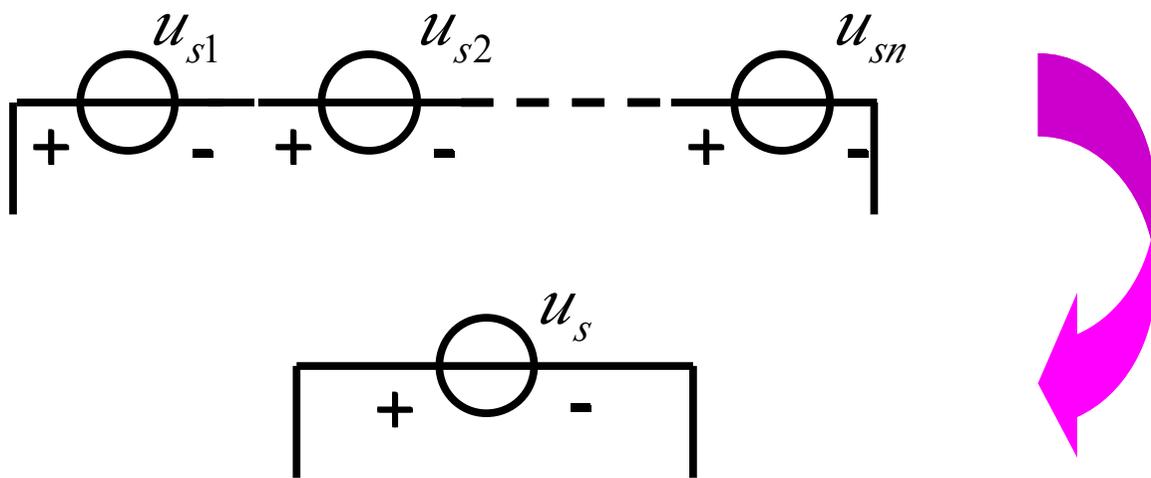
$$R_{\Delta} = R_{12} = R_{23} = R_{31} = 3R_Y$$

反之, 则 $R_Y = \frac{1}{3} R_{\Delta}$



电压源、电流源的串联和并联

一、电压源串联



$$u_s = u_{s1} + u_{s2} + \cdots + u_{sn} = \sum_{k=1}^n u_{sk}$$